Common Genetic Variants in Prostate Cancer Risk Prediction—Results from the NCI Breast and Prostate Cancer Cohort Consortium (BPC3)

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Abstract

Background: One of the goals of personalized medicine is to generate individual risk profiles that could identify individuals in the population that exhibit high risk. The discovery of more than two-dozen independent single-nucleotide polymorphism markers in prostate cancer has raised the possibility for such risk stratification. In this study, we evaluated the discriminative and predictive ability for prostate cancer risk models incorporating 25 common prostate cancer genetic markers, family history of prostate cancer, and age.

Methods: We fit a series of risk models and estimated their performance in 7,509 prostate cancer cases and 7,652 controls within the National Cancer Institute Breast and Prostate Cancer Cohort Consortium (BPC3). We also calculated absolute risks based on SEER incidence data.

Results: The best risk model (C-statistic = 0.642) included individual genetic markers and family history of prostate cancer. We observed a decreasing trend in discriminative ability with advancing age (P = 0.009), with highest accuracy in men younger than 60 years (C-statistic = 0.679). The absolute ten-year risk for 50-year-old men with a family history ranged from 1.6% (10th percentile of genetic risk) to 6.7% (90th percentile of genetic risk). For men without family history, the risk ranged from 0.8% (10th percentile) to 3.4% (90th percentile).

Conclusions: Our results indicate that incorporating genetic information and family history in prostate cancer risk models can be particularly useful for identifying younger men that might benefit from prostate-specific antigen screening.

Impact: Although adding genetic risk markers improves model performance, the clinical utility of these genetic risk models is limited. Cancer Epidemiol Biomarkers Prev; 21(3); 437–44. ©2012 AACR.

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Note: Supplementary data for this article are available at Cancer Epidemiology, Biomarkers & Prevention Online (http://cebp.aacrjournals.org/).

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Introduction

Prostate cancer is estimated to account for a quarter of all new cancer diagnoses and is the second leading cause of cancer-related deaths among men in the United States during 2010 (1). Despite the high prevalence, the etiology of prostate cancer is largely unknown and risk assessment to date has only been based on age, ethnicity, and family history of prostate cancer. One of the main goals of personalized medicine is to generate individual risk profiles that would identify individuals in the population that exhibit high risk (c.f. the Gail model in breast cancer). It has been suggested that high-risk groups could be identified on the basis of a profile of genetic predisposition (2). Already, we know that men with a family history of prostate cancer have a 2-fold risk of developing prostate cancer and develop prostate cancer at an earlier age of onset (3).

The discovery of more than 2-dozen independent single-nucleotide polymorphism (SNP) markers in genome-wide association studies (GWAS) of prostate cancer has raised the possibility that such genetic profiles could be generated. A recent study suggested that compared with age threshold screening programs, personalized screening based on genetic risk profiling would improve efficiency by reducing number of individuals eligible for screening while detecting the majority of cancers. For prostate cancer, they estimated that compared with screening men based on age alone, personalized screening at the same risk threshold would result in 16% fewer men being eligible for screening at a cost of 3% fewer screen-detectable cases (4).

In this study, we investigate the discriminative ability of common low-penetrant SNPs that have been associated with prostate cancer risk in 7,509 prostate cancer cases and 7,652 controls. We generated a series of statistical models including an aggregated genetic risk score, family history of prostate cancer, and interaction effects. We estimated age-specific discriminative performance by calculating C-statistics for the best-fitting models. Previous reports have not estimated stratum-specific discriminative performance and have only included subsets of the genetic variants associated with prostate cancer risk (5, 6). Finally, we calculated age-specific absolute risks based on SEER incidence data.

Methods

Study population

The National Cancer Institute Breast and Prostate Cancer Cohort Consortium (BPC3) has been described previously (7). In brief, the consortium combines resources from 8 well-established cohort studies: the Alpha-Tocopherol, Beta-Carotene Cancer Prevention (ATBC) Study (8), American Cancer Society Cancer Prevention Study II (CPS-II; ref. 9), the European Prospective Investigation into Cancer and Nutrition Cohort (EPIC—composed of cohorts from Denmark, Great Britain, Germany, Greece, Italy, the Netherlands, Spain, and Sweden; ref. 10), the Health Professionals Follow-up Study (HPFS; ref. 11), the Melbourne Collaborative Cohort Study (MCCS; ref. 12), the Multi-Ethnic Cohort (MEC; ref. 13), the Physicians’ Health Study (PHS; ref. 14), and the Prostate, Lung, Colorectal, and Ovarian (PLCO) Cancer Screening Trial (15). Together, these 8 cohorts collectively include more than 265,000 men who provided a biospecimen sample. Informed consent was obtained from all subjects, and each study was approved by the local Institutional Review Board.

Prostate cancer cases were identified through population-based cancer registries, death certificates, or self-reports confirmed by medical records, including pathology reports. Except for the MCCS study, the BPC3 consists of a series of matched nested case-control studies within each cohort; controls were matched to cases on a number of potential confounding factors, such as age, ethnicity, and region of recruitment, depending on the cohort. MCCS used a case-cohort design, with a randomly sampled subcohort serving as controls. The current study was restricted to self-reported European ancestry men. We had genotype data for a total of 10,501 prostate cancer cases and 10,831 controls. Data on disease stage and grade at time of diagnosis were collected from each cohort, wherever possible. A total of 2,641 cases were classified as either high-stage (stage C or D at diagnosis) or high-grade (Gleason grade \( \geq 8 \) or equivalent, i.e., coded as poorly differentiated or undifferentiated). For 15% of the cases, we did not have information about tumor stage or Gleason grade. Family history, which was defined as having at least one first-degree family member diagnosed with prostate cancer, was available for all but 2 cohort studies (PHS and EPIC). Subject characteristics are displayed in Supplementary Table S1.

Marker selection

We initially genotyped 39 SNPs associated with prostate cancer risk as previously described (16). For this study, we chose 25 of the initial 39 SNPs to obtain a set of independent markers (Supplementary Table S2). To obtain a set of independent markers for this analysis, we selected 25 SNPs based on the following criteria: (i) Significant association with prostate cancer risk \( (P < 0.001; 5 \text{ SNPs removed}) \). (ii) A pairwise \( r^2 < 0.2 \) with any of the other SNPs as measured in HapMap CEU individuals. If 2 or more SNPs had a pairwise \( r^2 > 0.2 \), the one with strongest association with prostate cancer risk was selected (6 SNPs). (iii) A significant association with prostate cancer risk \( (P < 0.001) \) after adjusting for other risk SNPs at the same locus within a region of 500 kb (3 SNPs). To address the potential for overfitting due to our SNP selection strategy, we recalculated all analyses while randomly replacing the “best” SNPs with other associated SNPs in the same region. This did not appreciably change our results (data not shown).

Genotyping

Genotyping was conducted by the TaqMan assay (Applied Biosystems) in 6 different genotyping...
weighted by their marginal log ORs (GW) estimated from or categorical (GCAT) variable, and a sum of risk alleles (IndSNP), a simple count of risk alleles as an ordinal (GC) mutually adjusted log ORs estimated for each marker vidual SNPs in an additive main effects model with (i.e., excluding EPIC and PHS). Joint effects of the 25 SNPs including all cohorts where family history was available cancer cases and 7,652 controls from the imputed data set constructed various risk models based on 7,509 prostate calculated decile-specific ORs. We compared the good-deciles according to the distribution in the controls and categorized the number of risk alleles in each carrier by from all cohorts (10,459 cases and 10,790 controls). We each individual using genotyped and imputed SNP data mutation are displayed in Supplementary Tables S3 and S4. ries and family history prevalence before and after impu- stion was completely missing for both. Risk allele frequen- impute family history for EPIC and PHS as this informa- studies, Supplementary Tables S1 and S3). We did not Genotypes in ATBC, a cohort in Finland, were imputed 1 in a case of age 63, we randomly generated a genotype frequency of 0.30). To impute a missing genotype for SNP 0.09 (aa), respectively, (corresponding to a minor allele frequency of 0.30). To impute a missing genotype for SNP 1 in a case of age 63, we randomly generated a genotype categories) and case–control status. We conducted single SNP imputation by sampling from the observed genotype frequency distribution in all men with nonmissing genotype data in the same age category and case–control status (‘single conditional draw imputation;’ ref. 17). For example, assume that the genotype frequencies of SNP 1 in cases between 60 and 65 years are 0.49 (AA), 0.42 (Aa), and 0.09 (aa), respectively, (corresponding to a minor allele frequency of 0.30). To impute a missing genotype for SNP 1 in a case of age 63, we randomly generated a genotype with probabilities 0.49 (AA), 0.42 (Aa), and 0.09 (aa). Genotypes in ATBC, a cohort in Finland, were imputed separately. For family history, we imputed each cohort separately (as prevalence of family history differed across studies, Supplementary Tables S1 and S3). We did not impute family history for EPIC and PHS as this information was completely missing for both. Risk allele frequencies and family history prevalence before and after imputation are displayed in Supplementary Tables S3 and S4. Variable construction and model selection First, we calculated the number of risk alleles carried by each individual using genotyped and imputed SNP data from all cohorts (10,459 cases and 10,790 controls). We categorized the number of risk alleles in each carrier by deciles according to the distribution in the controls and calculated decile-specific ORs. We compared the goodness-of-fit of various unconditional logistic regression models using Akaike’s Information Criterion (AIC). We constructed various risk models based on 7,509 prostate cancer cases and 7,652 controls from the imputed data set including all cohorts where family history was available (i.e., excluding EPIC and PHS). Joint effects of the 25 SNPs were incorporated in different ways by including individual SNPs in an additive main effects model with mutually adjusted log ORs estimated for each marker (IndSNP), a simple count of risk alleles as an ordinal (GC) or categorical (GCAT) variable, and a sum of risk alleles weighted by their marginal log ORs (GW) estimated from the data. We also evaluated risk modification by age and family history by including product terms between the risk allele count (GC), a binary indicator of family history (yes/no), and an ordinal coding of age in 5-year categories. We did not include SNP–SNP interaction terms as the chosen SNPs have not shown evidence of nonadditive joint effects (16). All analyses were adjusted for matching factors study and age at diagnosis/selection as control. The qualitative results did not change when we calculated AICs for the complete case data sets (no missing or imputed genotypes).

Imputation We excluded 42 cases and 41 controls with 20% or more missing genotypes across the 25 selected SNPs, leaving 10,459 cases and 10,790 controls for analysis. We imputed missing genotypes and family history information (yes/ no) independently by sampling from the observed distribution of the missing factor conditional on age (in 5-year categories) and case–control status. We conducted single SNP imputation by sampling from the observed genotype frequency distribution in all men with nonmissing genotype data in the same age category and case–control status (‘single conditional draw imputation;’ ref. 17). For example, assume that the genotype frequencies of SNP 1 in cases between 60 and 65 years are 0.49 (AA), 0.42 (Aa), and 0.09 (aa), respectively, (corresponding to a minor allele frequency of 0.30). To impute a missing genotype for SNP 1 in a case of age 63, we randomly generated a genotype with probabilities 0.49 (AA), 0.42 (Aa), and 0.09 (aa). Genotypes in ATBC, a cohort in Finland, were imputed separately. For family history, we imputed each cohort separately (as prevalence of family history differed across studies, Supplementary Tables S1 and S3). We did not impute family history for EPIC and PHS as this information was completely missing for both. Risk allele frequencies and family history prevalence before and after imputation are displayed in Supplementary Tables S3 and S4. Variable construction and model selection First, we calculated the number of risk alleles carried by each individual using genotyped and imputed SNP data from all cohorts (10,459 cases and 10,790 controls). We categorized the number of risk alleles in each carrier by deciles according to the distribution in the controls and calculated decile-specific ORs. We compared the goodness-of-fit of various unconditional logistic regression models using Akaike’s Information Criterion (AIC). We constructed various risk models based on 7,509 prostate cancer cases and 7,652 controls from the imputed data set including all cohorts where family history was available (i.e., excluding EPIC and PHS). Joint effects of the 25 SNPs were incorporated in different ways by including individual SNPs in an additive main effects model with mutually adjusted log ORs estimated for each marker (IndSNP), a simple count of risk alleles as an ordinal (GC) or categorical (GCAT) variable, and a sum of risk alleles weighted by their marginal log ORs (GW) estimated from the data. We also evaluated risk modification by age and family history by including product terms between the risk allele count (GC), a binary indicator of family history (yes/no), and an ordinal coding of age in 5-year categories. We did not include SNP–SNP interaction terms as the chosen SNPs have not shown evidence of nonadditive joint effects (16). All analyses were adjusted for matching factors study and age at diagnosis/selection as control. The qualitative results did not change when we calculated AICs for the complete case data sets (no missing or imputed genotypes).

Discrimination ability and absolute risk estimation For selected models, we calculated C-statistics and 95% confidence intervals (CI) stratified by study and age intervals (<60, 61–65, 66–70, 71–75, and ≥75 years) using estimated linear predictors from each model. The C-statistic [equivalent to the area under the receiver operating characteristic (AUC) curve] measures the discriminative ability of a model; C = 1 indicates perfect discrimination whereas C = 0.5 indicates no discrimination. Summary C-statistics across studies were calculated using fixed effects meta-analysis. CIs were calculated using the “rcor.cens” command in the “Hmisc” package in R (18). We tested for trends in C-statistics as a function of age using linear regression, treating estimated C-statistics as the dependent variable and age in 5-year interval as the independent variable.

We calculated mortality-adjusted absolute risks based on the distribution of genotypes and family history in controls, the regression parameters from the best-fitting models, 5-year average incidence rates for white men based on SEER data for years 1992–2007 (19), and the life tables for U.S. men from 2007 (20, 21). All analyses were conducted in R (22).

Results Associations between number of risk alleles carried and prostate cancer risk The average number of risk alleles carried (maximum: 49) was 23.4 (range: 12–35) in cases and 22.0 (range: 11–34) in controls (Supplementary Fig. S1). Compared with men in the lowest 10th percentile of a simple count of risk alleles, men in the highest 10th percentile had more than 5-fold risk (OR, 5.55; 95% CI, 4.85–6.36) of developing prostate cancer (Table 1). Decile-specific ORs stratified on disease severity and age of onset (<65 and ≥65 years) are presented in Fig. 1. We observed slightly higher decile-specific ORs for localized disease than aggressive disease. Compared with men in the lowest 10th percentile, men in the highest 10th percentile had a 7-fold risk to develop prostate cancer at age 65 or younger (OR, 7.21; 95% CI, 5.66–9.18). Corresponding risk comparison among men older than 65 was somewhat lower (OR, 4.56; 95% CI, 3.86–5.39). We observed a significant interaction effect between age and number of risk alleles carried (ORint, 0.982; 95% CI, 0.976–0.989; P = 1.2 × 10⁻⁷).
Discriminative ability of genetic risk models

We incorporated SNP information, age, and family history in various models and calculated goodness-of-fit using imputed genotype and family history data from all cohorts where family history was available (7,509 cases and 7,652 controls, Supplementary Table S5). We chose models that best fit the data from each of 3 classes: models that used information on family history of prostate cancer and age, models that used information on SNPs and age, and finally models that used information on SNPs, age, and family history. The best model from the first class (model 1) included family history of prostate cancer and an interaction term between family history and age. The best model from the second class (model 2) included individual SNPs and an interaction term between the sum of risk alleles and age. The best model from the third class (model 3) included individual SNPs, family history, an interaction term of age and family history, and an interaction term between the sum of risk alleles and age. The regression parameters for each chosen model can be found in Supplementary Table S6. We used the regression parameters from each of the 3 models to estimate linear predictors and calculate C-statistics (Table 2). The inclusion of individual SNPs (average C over all ages = 0.634) had much higher discriminatory power than family history only (average C over all ages = 0.526). Adding SNP information to family history increased the discriminatory ability (average C over all ages = 0.642). For all 3 models, the discriminative ability decreased with advancing age (model 1, \( P = 0.03 \); model 2, \( P = 0.009 \); and model 3, \( P = 0.009 \)). Stratifying on aggressive cases did not alter the results (Supplementary Table S7). Figure 2 displays the...
receiver operating characteristic (ROC) curve for model 2 (dashed) and model 3 (solid) for men younger than 65 years and men older than 75 years. We note that both models have higher discriminative probability in younger men. We also calculated cohort-specific $C$-statistics recognizing our limited power (Supplementary Table S8) across various age ranges. We observe that the cohort-specific estimates are relatively homogenous indicating that this model can be useful for all patients with European ancestry.

Estimated absolute risks based on a genetic risk model

We calculated mortality-adjusted 10-year absolute risks based on the estimated regression parameters from model 2 and age-specific incidence rates from SEER (Table 3). Overall, absolute risks differed widely as a function of genetic risk. For example, the absolute 10-year risk for a 60-year-old man with a family history of prostate cancer ranges from 0.06 (10th percentile) to 0.23 (90th percentile) depending on the genetic burden. Of note, a man without a family history of prostate cancer but with high genetic risk (90th percentile), has lower 10-year risk than a man with a family history belonging to the 50th percentile (e.g., 0.033 vs. 0.038 at 50 years).

The potential utility of incorporating genetic information in a clinical setting can be illustrated by the following example. A 50-year-old white man without a family history of prostate cancer sees his physician and wants to know his 10-year risk of developing prostate cancer. By using the information available (family history of prostate cancer, ethnicity, and age), the physician will estimate his absolute 10-year risk to be approximately 2%. Incorporating individual-specific genetic information would shift this risk to between 0.8% (10th percentile) and 3.4% (90th percentile) depending on number or risk alleles carried. The mortality-adjusted 10-year risk of developing prostate cancer as a function of the genetic risk burden for a 50-year-old man is illustrated in Fig. 3.

Discussion

In this study, we tested the performance of 25 independent SNPs in prostate cancer risk models. We evaluated different models in a series of large prospective nested case–control studies comprising a total of 7,509 prostate cancer cases and 7,652 controls with European ancestry. Our large sample size enabled us to calculate age-specific $C$-statistics to investigate the performance across age categories. In a model including family history and genetics, the $C$-statistic shifted from 0.68 for men younger than 60 years to 0.60 for the subgroup of men older than 75 years. We also observed a statistically significant interaction between number of risk alleles carried and age at diagnosis.

Higher discrimination among younger men has important implications. First, much of the ongoing debate about prostate-specific antigen (PSA) screening focuses on the age for recommended screening and our results suggest that genetic risk prediction models might have higher clinical utility for younger men. Second, our results illustrate the value of investigating these issues in subgroups that could lead to more effective use of genetics. Estimating population effects by combining clinical strata together may obscure important information. We found a statistically significantly stronger association between a

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**Table 2.** $C$-statistics for 3 selected models (see Methods) stratified by age

<table>
<thead>
<tr>
<th>Age</th>
<th>Model 1: family history</th>
<th>Model 2: genetics</th>
<th>Model 3: genetics + family history</th>
</tr>
</thead>
<tbody>
<tr>
<td>≤60</td>
<td>0.547 (0.530–0.564)</td>
<td>0.663 (0.637–0.689)</td>
<td>0.679 (0.654–0.705)</td>
</tr>
<tr>
<td>61–65</td>
<td>0.526 (0.515–0.536)</td>
<td>0.646 (0.625–0.666)</td>
<td>0.654 (0.633–0.674)</td>
</tr>
<tr>
<td>66–70</td>
<td>0.531 (0.523–0.540)</td>
<td>0.632 (0.616–0.649)</td>
<td>0.645 (0.628–0.661)</td>
</tr>
<tr>
<td>71–75</td>
<td>0.523 (0.513–0.533)</td>
<td>0.630 (0.611–0.648)</td>
<td>0.636 (0.617–0.655)</td>
</tr>
<tr>
<td>75+</td>
<td>0.505 (0.489–0.521)</td>
<td>0.599 (0.571–0.626)</td>
<td>0.599 (0.571–0.626)</td>
</tr>
</tbody>
</table>

**NOTE:** $C$-statistics were calculated on the basis of estimated regression parameters in the imputed data set of cohorts where family history was available (7,509 prostate cancer cases and 7,652 controls).
genetic risk score summarizing known prostate cancer risk alleles and prostate cancer risk among younger men. We identified this gene–age interaction by aggregating evidence across risk loci; previous analyses of individual markers provided suggestive but not definitive evidence that many of these markers had larger ORs among younger men (16). In addition, some of the SNPs included in our model were identified in a GWAS enriched of younger cases (23). However, we note that the clinical value of genetic risk models can vary by age (or other known risk factors) even if the genetic OR does not vary by age. Thus, the absence of statistical interaction as usually defined for disease outcomes (differences in genetic ORs across strata) does not necessarily imply absence of important differences in measures of clinical utility, including discrimination, net reclassification index (24), expected change in adverse events (25, 26), or change in age at recommended screening (2).

Although each genetic variant contributes a very small risk effect, the aggregated sum has a substantial impact on risk. Compared with men in the bottom 10% of risk alleles carried, men in the top 10th percentile had a 5-fold risk of developing prostate cancer during their lifetime and more than 7-fold risk of developing prostate cancer before the age of 65. The 10-year absolute risk of a 60-year-old man with a positive family history and high genetic burden (90th percentile) was 23%. We observed similar risk estimates when stratifying on disease aggressiveness, as defined by grade and stage. In agreement with previous studies, our genetic risk model showed equal discriminatory ability for aggressive and localized prostate cancer. This is not surprising as the SNPs included in our model have not been associated with disease aggressiveness (16) and it remains to be seen if there exists genetic variants associated with prostate cancer subtypes. Our results are nevertheless disappointing given the widely heterogeneous natural history of prostate cancer and the need to distinguish indolent from aggressive cancer. However, a recent randomized trial showed that active treatment with radical prostatectomy decreases rates of both prostate cancer–specific death and overall death, with the largest benefit for men younger than 65 years (27). Of importance, the authors also observed a significant decrease in overall mortality associated with surgery among men diagnosed with low-grade tumors.

A risk model including only SNPs appears to have higher discriminatory ability than family history alone. This observation can partly be explained by our broad definition of family history as defined by a first-degree relative with prostate cancer. Most likely, a more refined definition would increase the discriminatory power of family history further; other studies will have to address this question, because more detailed data are not available in BPC3. However, detailed family history has inherent

**Table 3.** Age-specific mortality-adjusted 10-year absolute risks of prostate cancer among white U.S. men as a function of family history of prostate cancer and genetic risk (as estimated by model 2)

<table>
<thead>
<tr>
<th>Age</th>
<th>Family history</th>
<th>No information on genetics</th>
<th>10th percentile</th>
<th>30th percentile</th>
<th>50th percentile</th>
<th>70th percentile</th>
<th>90th percentile</th>
</tr>
</thead>
<tbody>
<tr>
<td>50</td>
<td>Negative FH</td>
<td>0.020</td>
<td>0.008</td>
<td>0.012</td>
<td>0.017</td>
<td>0.023</td>
<td>0.034</td>
</tr>
<tr>
<td></td>
<td>Positive FH</td>
<td>0.042</td>
<td>0.016</td>
<td>0.027</td>
<td>0.038</td>
<td>0.049</td>
<td>0.067</td>
</tr>
<tr>
<td>60</td>
<td>Negative FH</td>
<td>0.064</td>
<td>0.029</td>
<td>0.043</td>
<td>0.056</td>
<td>0.075</td>
<td>0.109</td>
</tr>
<tr>
<td></td>
<td>Positive FH</td>
<td>0.134</td>
<td>0.057</td>
<td>0.088</td>
<td>0.122</td>
<td>0.154</td>
<td>0.231</td>
</tr>
<tr>
<td>70</td>
<td>Negative FH</td>
<td>0.089</td>
<td>0.046</td>
<td>0.065</td>
<td>0.081</td>
<td>0.102</td>
<td>0.139</td>
</tr>
<tr>
<td></td>
<td>Positive FH</td>
<td>0.183</td>
<td>0.104</td>
<td>0.137</td>
<td>0.175</td>
<td>0.209</td>
<td>0.271</td>
</tr>
<tr>
<td>80</td>
<td>Negative FH</td>
<td>0.063</td>
<td>0.039</td>
<td>0.049</td>
<td>0.060</td>
<td>0.071</td>
<td>0.089</td>
</tr>
<tr>
<td></td>
<td>Positive FH</td>
<td>0.131</td>
<td>0.085</td>
<td>0.114</td>
<td>0.132</td>
<td>0.143</td>
<td>0.181</td>
</tr>
</tbody>
</table>

**NOTE:** Quintiles of genetic risk were based on the distribution in controls. All calculations are based on regression parameters estimated in the imputed data set. Incidence rates are based on SEER data.

Abbreviation: FH, family history.

![Figure 3. Estimated distribution of 10-year absolute risks of prostate cancer among 50-year-old U.S. white men as a function of genetic risk.](image-url)
limitations as men from small families or men whose fathers died at a young age (of other causes), etc, have less informative history. Of note, men with a family history of prostate cancer experience higher absolute risks than men without a family history regardless of number of risk alleles carried. Thus, family history of prostate cancer is still an important source of information when discussing a likelihood of patient of developing prostate cancer.

Because it is expected that additional GWAS and next-generation sequencing will discover additional risk variants, the genetic risk models as presented here will require regular updates. However, additional genetic variants will most likely have small risk effects or be rare in the population and thus provide limited increments in discriminatory ability. Moreover, it is difficult for new predictors to raise the C-statistic when existing variables (in this case SNPs) discriminate well (28, 29). Nonetheless, Wray and colleagues estimated that a genetic risk model that fully explains the genetic variation of prostate cancer has a maximum C-statistic of 0.90, assuming a heritability of 0.44 (30).

The relatively high performance of our genetic risk model (C = 0.68) does not by itself guarantee clinical utility. For comparison, a single PSA test has a better accuracy (C > 0.70; ref. 31), yet despite this high C-statistic, the public health utility of PSA screening remains controversial. So far, PSA testing has been reported to have low discriminatory power between indolent and clinical aggressive prostate cancer, resulting in substantial overdiagnosis, leading to a debate over the efficacy and cost effectiveness as a screening tool (32). Monitoring changes in PSA levels over time (known as PSA velocity) has been widely advocated as a more useful marker, but so far, little evidence suggests, this provides more clinical information beyond a single PSA test (33). It has been proposed that the combined information on PSA and known genetic architecture (as defined by common genetic variants with modest risk effects) might increase our ability to detect a prostate cancer, but published reports provide only modest support for this hypothesis (5, 34, 35). In the end, the ultimate arbiter of any screening tests utility is its ability to reduce net morbidity and mortality.

In summary, we have constructed genetic risk models for prostate cancer based on 25SNPs previously identified as well as information on family history and age. Our results indicate that incorporating genetic information and family history in prostate cancer risk models can be particularly useful for identifying younger men that might benefit from PSA screening. Although our model conducted reasonably well in terms of discriminatory ability, its clinical utility is still limited.

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No potential conflicts of interest were disclosed.

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